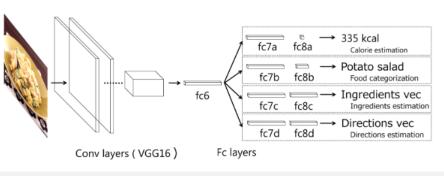
# Hungry Networks: 3D Mesh Reconstruction of a Dish and a Plate from a Single Dish Image for Estimating Food Volume

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#### Introduction

- Dietary calorie management has been an important topic.
- There is a lot of research on calorie estimation in the multimedia community.

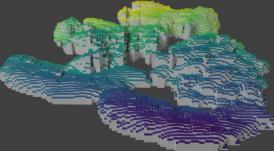
#### 2D based



[Ege et al., IEICE2018]

#### Depth based





[Im2Calories, ICCV 2015]

#### Sensor based

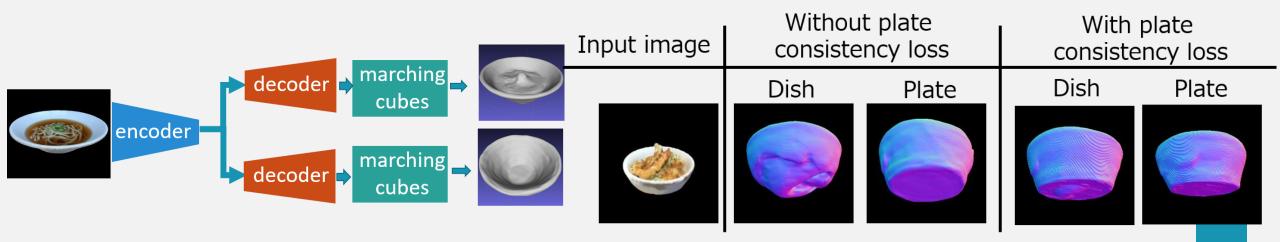


#### [CalorieCaptorGlass, IEEE VR 2020]

#### Introduction

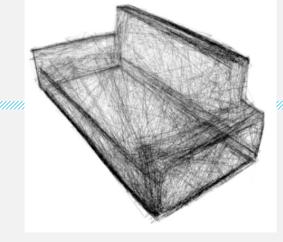
Reconstruct 3D dish (food + plate) volume and 3D plate volume
 from a single dish image

- Achieve consistency between the plate part of the two reconstructed volumes introducing plate consistency loss.

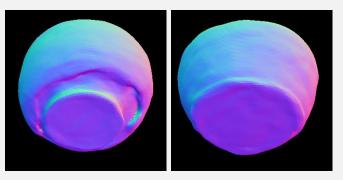


#### **Appropriate 3D representation**

- Purpose: estimate the food volume.
- Desired features.
  - The volume can be easily obtained.
  - Matching plate part shape of dish and plate.



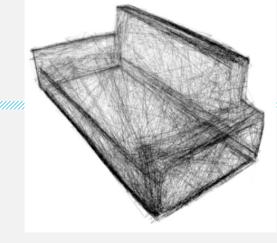
Self-intersection [Mesh R-CNN, ICCV2019]



The shapes of the dishes do not match.

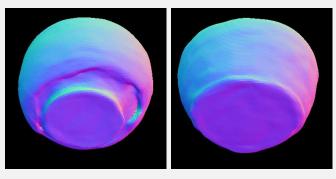
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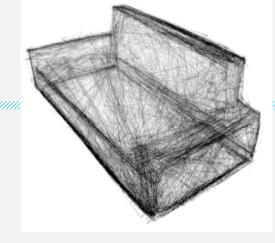
No Self-intersection & Watertight Mesh



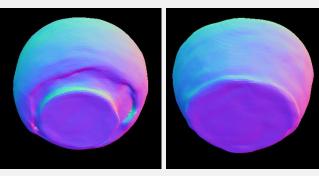
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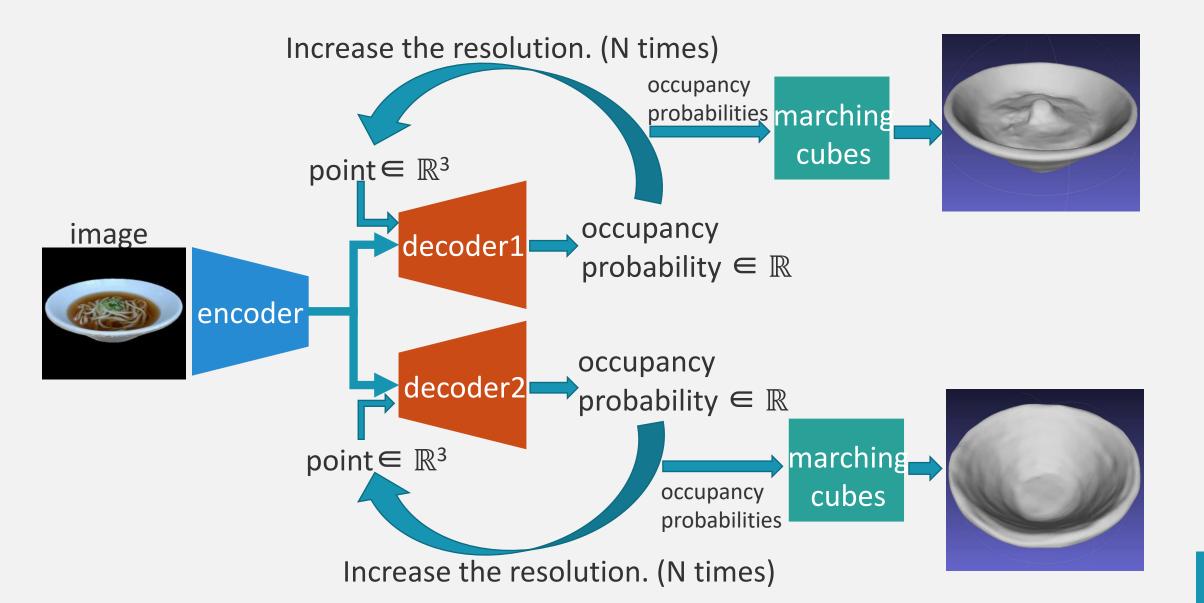


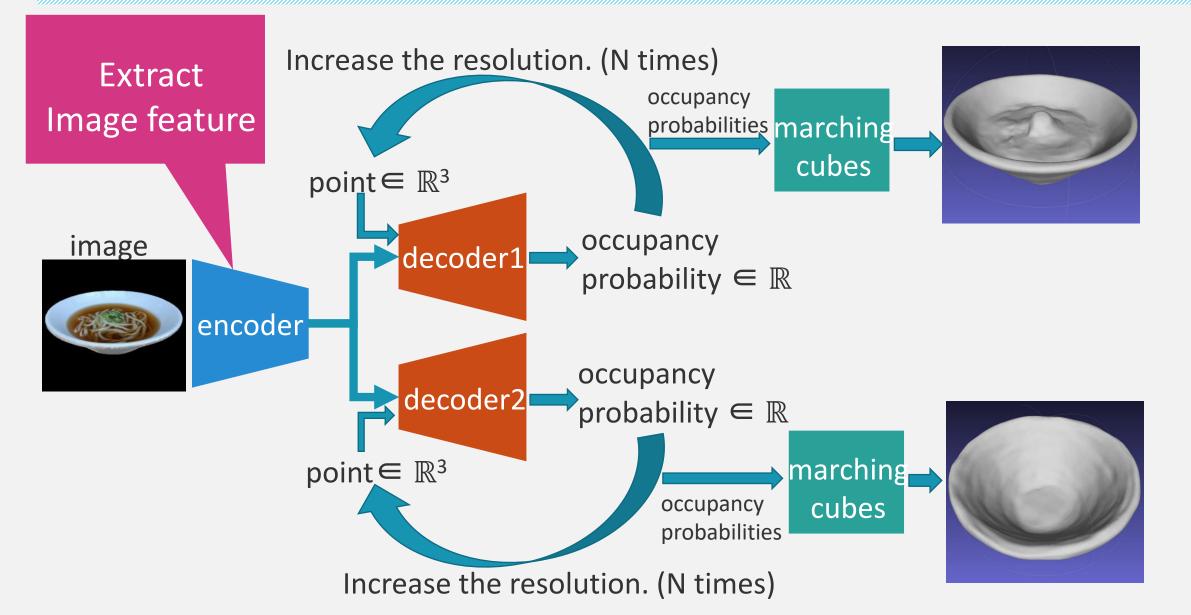
The shapes of the dishes do not match.

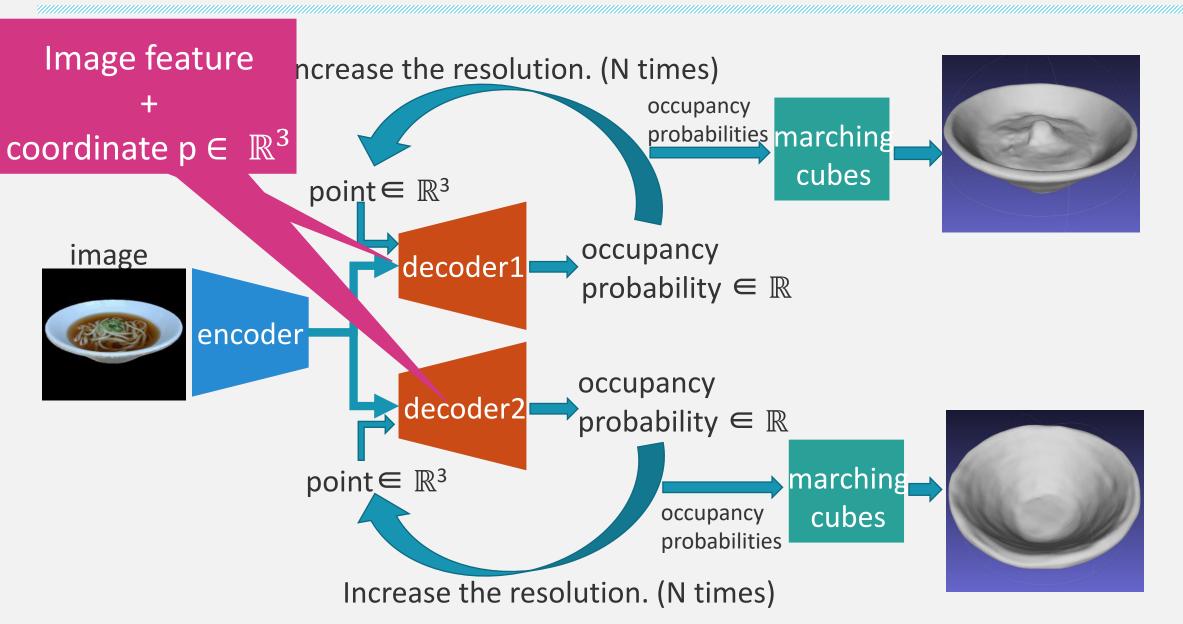
Occupancy representation is reasonable

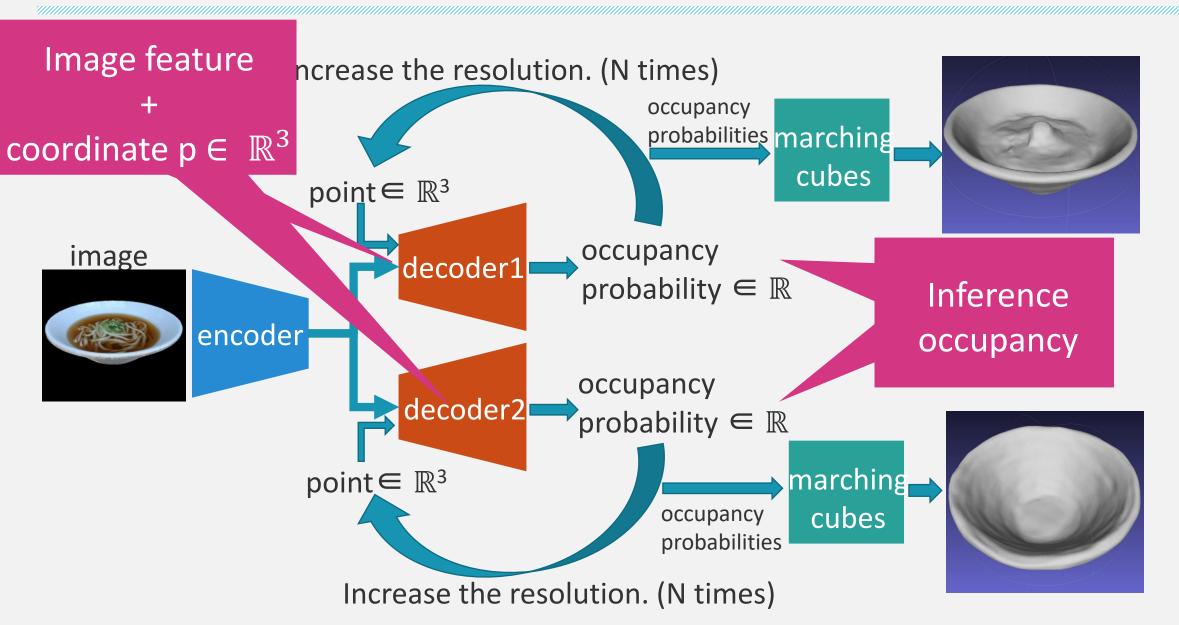
& Watertight Mesh

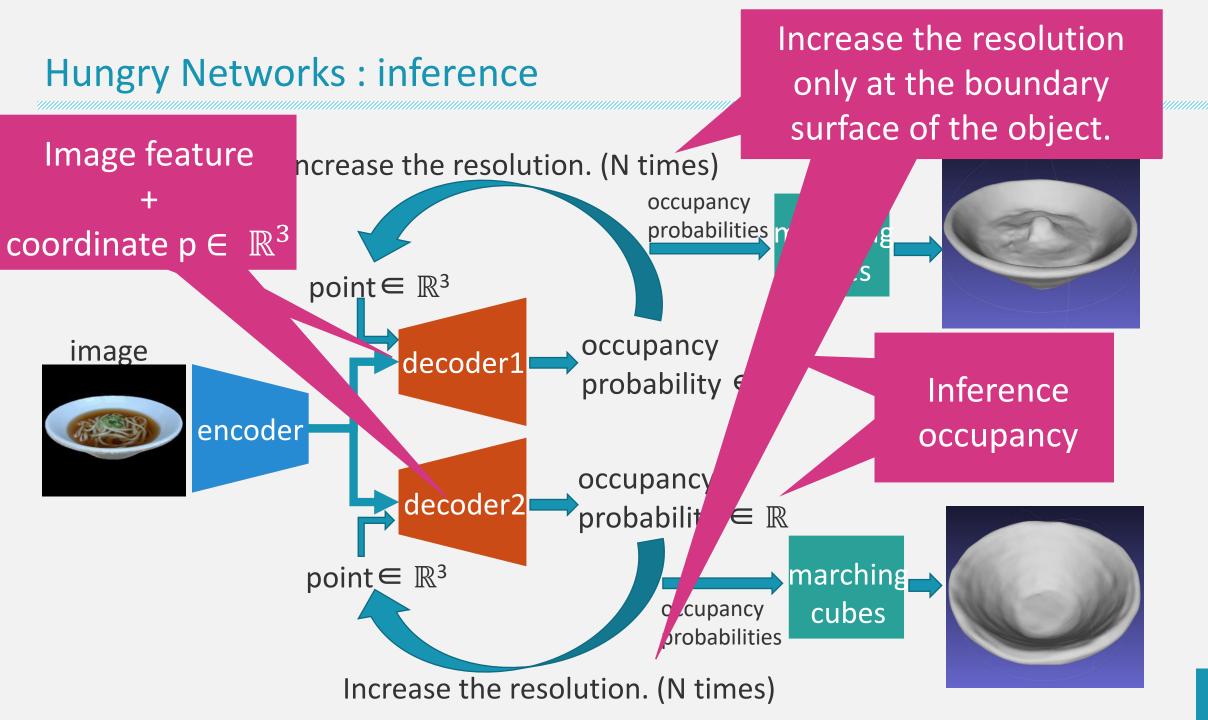
No Self-intersection

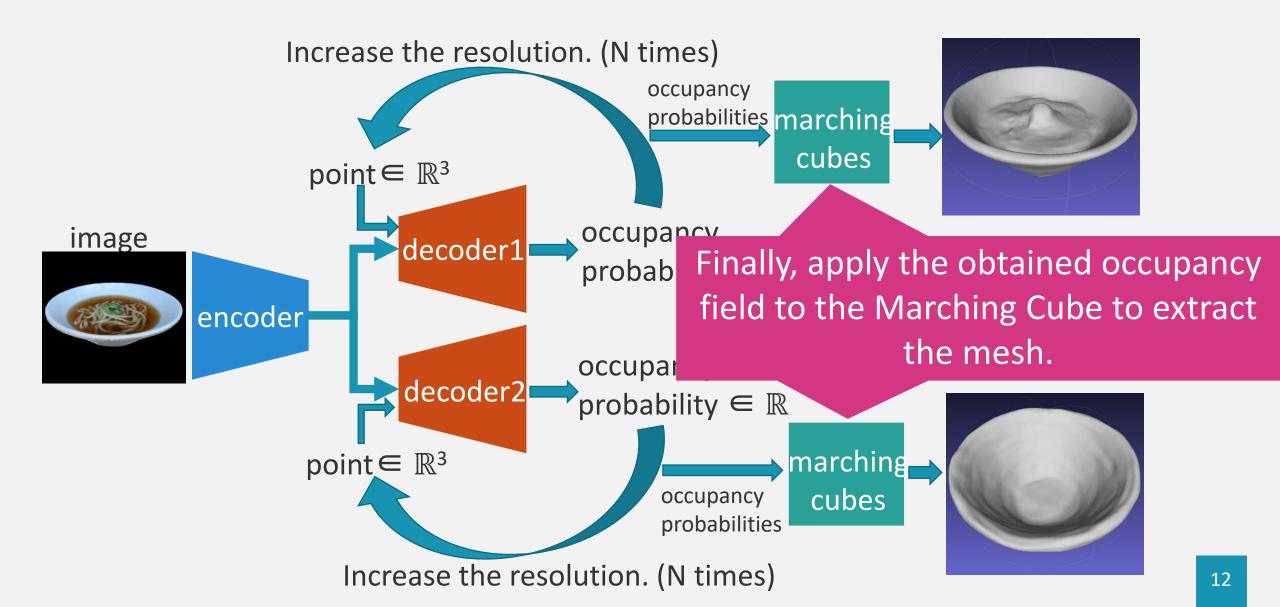












- Learning the occupancy is actually a binary classification. (inside or outside)
  - Binary cross entropy loss

 $\mathcal{L}_{\mathcal{O}}(f_d(x,p),o(p)) = \mathcal{L}_{bce}(f_d(x,p),o(p))$ 

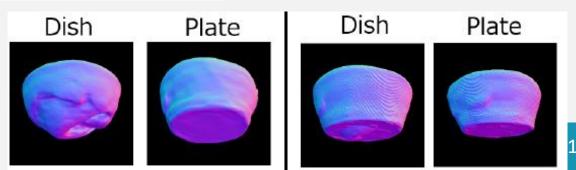
- $p \in R^3$  : input point coordinate
- *x* : image feature vector
- $o(p) \in R$  : occupancy of point p

 $f_d(x,p) \in R$  : decoder that outputs occupancy

- Plate consistency loss (proposal method)
  - Loss function for matching plate parts of the 3D shape of dish and plat

<b>Dish occupancy</b> $f_{d1}(x, p)$	Plate occupancy $f_{d2}(x, p)$	$f_{d2}(x,p) \\ -f_{d1}(x,p)$
0	0	0
1	0	-1
0	1	1
1	1	0

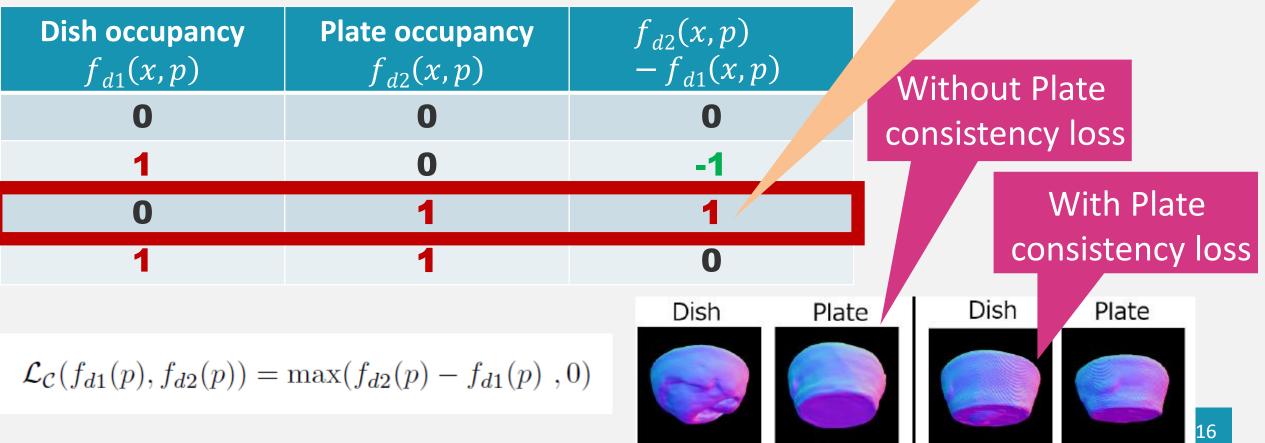
$$\mathcal{L}_{\mathcal{C}}(f_{d1}(p), f_{d2}(p)) = \max(f_{d2}(p) - f_{d1}(p) , 0)$$



- Plate consistency loss (proposal method)
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<b>Dish occupancy</b> $f_{d1}(x, p)$	Plate occupancy $f_{d2}(x, p)$	$f_{d2}(x,p) \\ -f_{d1}(x,p)$	Without Plate		
0	0	0	consistency loss		
1	0	-1			
0	1	1	With Plate		
1	1	0	consistency loss		
		Dish Plat	e Dish Plate		
$\mathcal{L}_{\mathcal{C}}(f_{d1}(p), f_{d2}(p)) =$	$\max(f_{d2}(p) - f_{d1}(p)),$	0)			

- Plate consistency loss (proposal method)
  - Loss function for matching plate parts of the 3D shape of dish



There is a problem

if the difference is **1**.

at

#### - Mini batch loss

$$x_i = f_e(I_i)$$
  

$$y1_{i,j} = f_{d1}(x_i, p_{i,j})$$
  

$$y2_{i,j} = f_{d2}(x_i, p_{i,j})$$

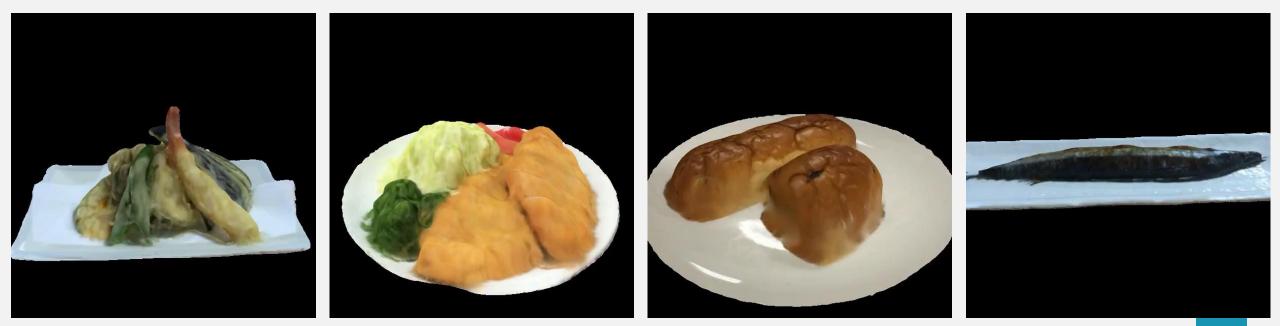
 $f_e(I_i)$  Encoder that outputs image feature

- *I<sub>i</sub>* i-th image
- $\mathcal{B}$  mini batch

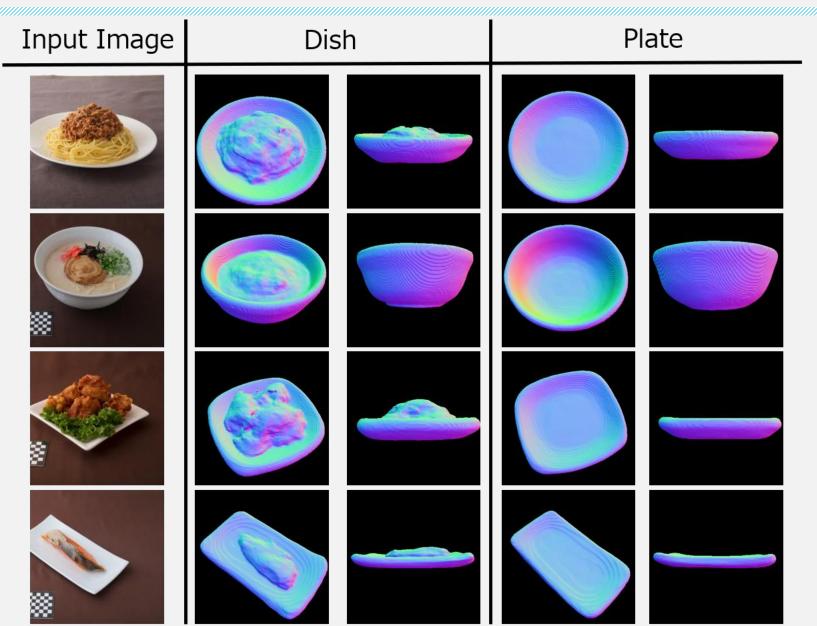
$$\mathcal{L}_{\mathcal{B}} = \frac{1}{|\mathcal{B}|} \sum_{i=1}^{|\mathcal{B}|} \sum_{j=1}^{K} \left( \lambda_1 \mathcal{L}_{\mathcal{O}}(y \mathbf{1}_{i,j}, o \mathbf{1}_i(p_{i,j})) + \lambda_2 \mathcal{L}_{\mathcal{O}}(y \mathbf{2}_{i,j}, o \mathbf{2}_i(p_{i,j})) + \lambda_3 \mathcal{L}_{\mathcal{C}}(y \mathbf{1}_{i,j}, y \mathbf{2}_{i,j}) \right)$$

### Training dataset

- There is no dataset containing a 3D mesh of dish.
  - Build a new dataset
- 240 Dish 3D models、 38 plate 3D models.
  - Using a commercially available 3D scanner.



#### **Experiment : Qualitative evaluation**



### **Experiment : Quantitative evaluation**

- weighting plate consistency loss

λa	IoU (dish)	IoU (plate)	Chamfer	$\operatorname{Chamfer}$	$\mathbf{plate}$	Volume error
$\lambda_3$		ioe (place)	L1 (dish)	L1 (plate)	$\operatorname{consistency}$	volume error
0	0.624	0.621	0.0189	0.0186	0.0256	0.0252
20	0.550	0.607	0.0262	0.0182	0.0168	0.0155
50	0.542	0.610	0.0260	0.0209	0.0152	0.0161

$$\mathcal{L}_{\mathcal{B}} = \frac{1}{|\mathcal{B}|} \sum_{i=1}^{|\mathcal{B}|} \sum_{j=1}^{K} \left( \lambda_1 \mathcal{L}_{\mathcal{O}}(y \mathbf{1}_{i,j}, o \mathbf{1}_i(p_{i,j})) + \lambda_2 \mathcal{L}_{\mathcal{O}}(y \mathbf{2}_{i,j}, o \mathbf{2}_i(p_{i,j})) + \frac{\lambda_3}{\mathcal{L}_{\mathcal{C}}(y \mathbf{1}_{i,j}, y \mathbf{2}_{i,j})} \right)$$

### Experiment : Quantitative evaluation

weighting plate consistency loss

—

plate consistency loss contributes to reducing volume error.

$\lambda_3$	IoU (dish)	IoU (plate)	$\operatorname{Chamfer}$	$\operatorname{Chamfer}$	plate	Volume error
	100 (p1000)	L1 (dish)	L1 (plate)	consistency		
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#### - Hungry Networks

- Reconstruct 3D dish (food + plate) volume and 3D plate volume from a single dish image

- Introducing plate consistency loss
  - Matching plate parts of the 3D shape of dish and plate
  - Contributes to the accuracy of volume estimation

- Creating a 3D food dataset
  - We showed that it can correspond to the real dish image.